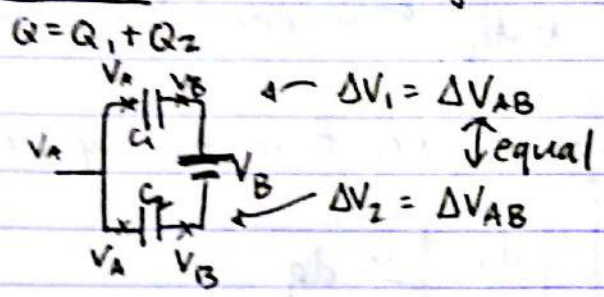
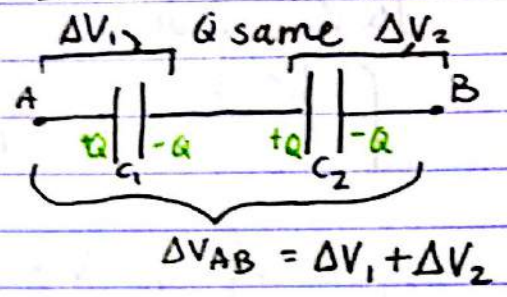


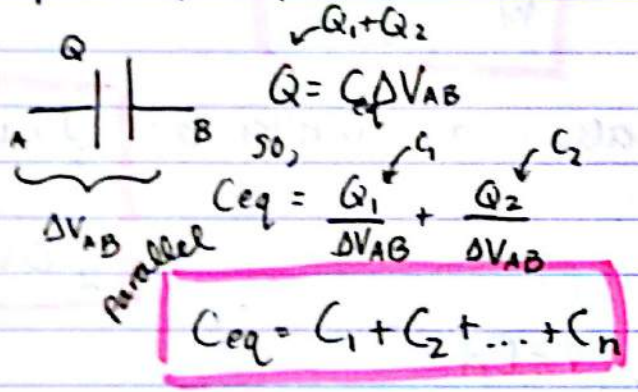
Parallel: total charge shared



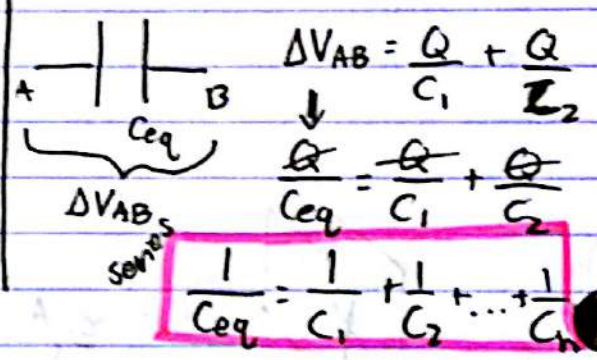
Series: Total ΔV shared



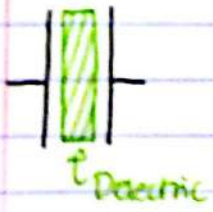
Replace w/ $C_{equivalent}$



Replace w/ $C_{equivalent}$



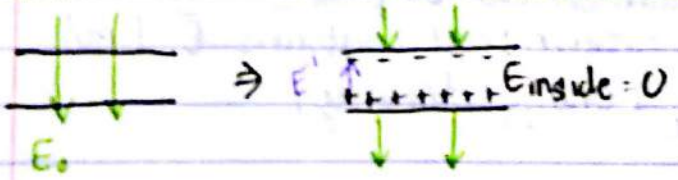
Dielectrics "insulating material"



A smaller $d \Rightarrow$ higher C
 - put dielectric in middle to decrease d

We want a higher V (capacitors do have a Q -limit)

Conductor

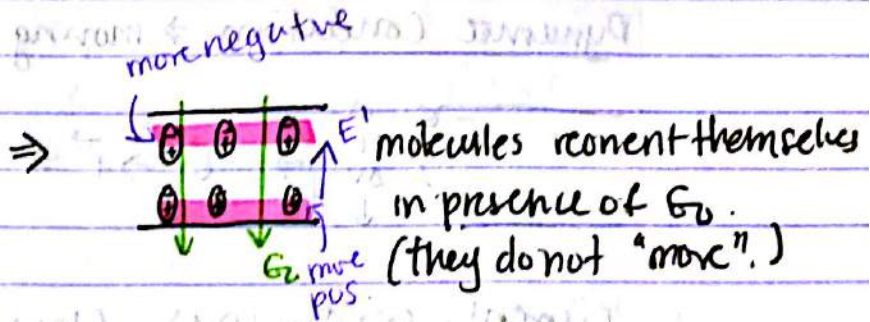
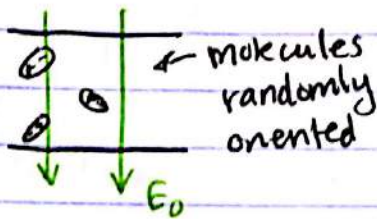


The charge redistributes, and so a field inside the capacitor is created.

$E_{inside} = \vec{E}' + \vec{E}_0$
 $= 0$, when $\vec{E}' = -\vec{E}_0$

- when no more charge flows, $\vec{E}' = -\vec{E}_0$

Insulator

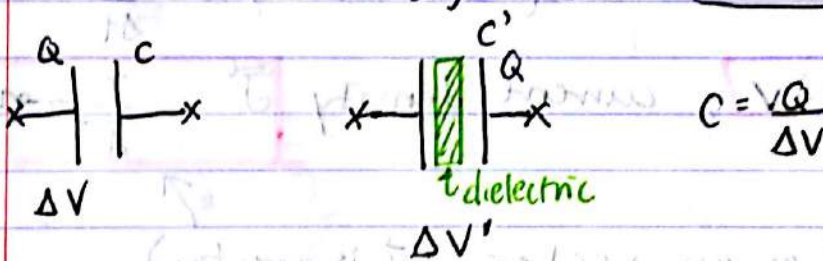


\vec{E}' is polarization field.
 $|\vec{E}'| < |\vec{E}_0| \Rightarrow \vec{E}_{\text{inside}} = \vec{E}_0 + \vec{E}'$
 (always smaller than \vec{E}_0)

Linear Dielectric

$$\vec{E}' \propto \vec{E}_0 \Rightarrow \vec{E}_{\text{inside}} \propto \vec{E}_0 \Rightarrow \boxed{E_0 = K_e \vec{E}_{\text{inside}}}$$

Since $\vec{E}_{\text{inside}} < \vec{E}_0$, $K_e > 1$. K_e is the dielectric constant.



remains
 thus \neq

$\Delta V'$ is different because of the dielectric.

- changing \vec{E}_{inside} (weaker)

$$\Delta V' = -\int \vec{E} \cdot d\vec{s} \Rightarrow \Delta V' \text{ is decreasing} \therefore C' > C.$$

$$\vec{E}_0 = K_e \vec{E}_{\text{inside}} \Rightarrow \vec{E}_{\text{inside}} = \frac{\vec{E}_0}{K_e}$$

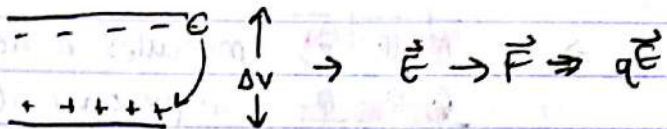
Material	K_e
vacuum	1
air	1.0059

Coulomb's: $\vec{E} = \frac{q}{4\pi\epsilon_0 r^2}$ in a vacuum so $\epsilon = \epsilon_0 K_e$
 permittivity

$$\vec{E} = \frac{q}{4\pi\epsilon_0 r^2 K_e} \text{ in a dielectric}$$

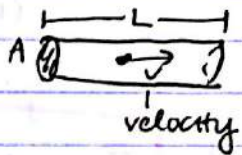
A general formula: $\vec{E} = \frac{q}{4\pi\epsilon r^2}$

Dynamic Condition \Rightarrow moving charges \Rightarrow current



Current: continuous flow of charge

$$* I = \frac{dq}{dt} \quad [I] = \frac{[\text{Coulomb}]}{[\text{sec}]} = [\text{Ampere}] = A$$



$$q = n e \text{ Volume}$$

↑
chg. density

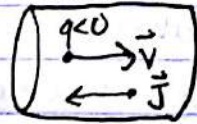
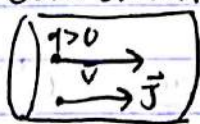
$$\text{Volume} = AL = AV \Delta t, \text{ so}$$

$$q = n e A V \Delta t, \quad I = \frac{q}{\Delta t}$$

$$\therefore \boxed{I = n e A v}, \quad \text{current density } \boxed{\vec{J} = \frac{I}{A} = -n e \vec{v}}$$

we define \vec{J} as an vector. (\vec{v} is a vector)

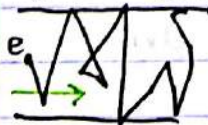
Convention: direction of \vec{J} is defined by $q > 0$ (pos. chg)



$$\boxed{\vec{J} = -n e \vec{v} \text{ is convention}}$$

\vec{v} is called the drift velocity.

$$\vec{F} = q \vec{E}$$



due to collisions (a disordered motion)

- 1) atoms - important @ high temp.
- 2) impurities

So, $\vec{v}_{\text{avg}} = 0$ (no \vec{E} -field)

turn on external $\vec{E} \Rightarrow \vec{v}_{\text{drift}}$ (gen. direction that particles move)

$$\vec{E} \Rightarrow \vec{F} = q \vec{E} = m \vec{a}, \quad \vec{a} = \frac{q \vec{E}}{m} \leftarrow \text{this is contradictory.}$$

There is actually no \vec{a} because of collisions.

$$\text{Time between collisions matters. } \vec{v}(t) = \vec{v}_i(t) + \frac{q \vec{E}}{m} t$$

avg time between collisions

$$\text{so } \vec{v} = \frac{q \vec{E}}{m} \tau$$